

# Semantic Theory

## Lecture 11 - Lexical Semantics II

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## Verbs and Events

- Modeling verb semantics using events provides a natural solution to several problems of logic-based semantics.
- **However ...**  
Not all verbs can be appropriately interpreted through implicit event arguments.

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## Verbs Expressing States vs. Events

(1) *Mary kicked John*

“there is a kicking event, in which Mary and John are involved”

(2) *John knew the answer*

“there is a knowing event, in which John and the answer are involved” **(?)**

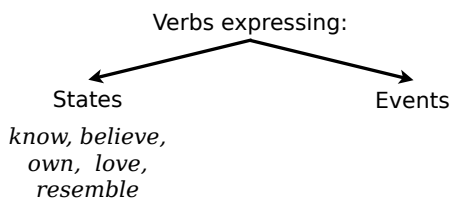
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## Verbs Expressing States vs. Events

- There are verbs expressing states and verbs expressing events (which we call non-stative for the time being)
  - **Statives:** *know, believe, have, desire, love*
  - **Non-statives:** *run, walk, kick, kill, build a house*
- Only non-stative verbs come with an event argument:
  - $\text{kick}'(e, x, y)$
  - $\text{know}'(x, y)$

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## Aspectual Verb Classes - 1



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## Linguistic Evidence for State-Event Distinction

### Progressive form

- (1) *John is running*
- (2) *John is building a house*
- (3) *\*John is knowing the answer*

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## Linguistic Evidence for State-Event Distinction

### Simple present

- (1) *Mary runs* (has the habit of running)
- (2) *John recites poems* (has the habit of reciting poems)
- (3) *John knows the answer*

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## Linguistic Evidence for State-Event Distinction

### Manner adverbials

- (1) *John ran carefully*
- (2) *John carefully built a house*
- (3) \**John carefully knew the answer*

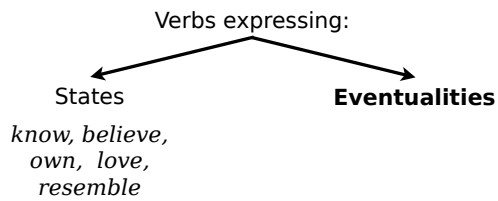
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## Verbs and Events

- Modeling verb semantics using events provides a natural solution to several hard problems of logic-based semantics.
- **However ...**  
Not all verbs can be appropriately interpreted through implicit event arguments.
- **Moreover ...**  
Event-expressing verbs do not form a homogeneous semantic class.

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## Aspectual Verb Classes - 1



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## Different distribution of duration adverbials

- (1) a. *John painted a picture in an hour*  
b. \**John walked in an hour*  
c. \**It rained in an hour*
- (2) a. ?*John painted a picture for an hour*  
b. *John walked for an hour*  
c. *It rained for an hour*
- (3) a. *It took John an hour to paint a picture*  
b. \**It took John an hour to walk*

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## Different inferential properties

- *John walked from 8 a.m. to 11 a.m.*  
⊨ *John walked from 9 to 10 a.m.*
- *It rained from 8 a.m. to 11 a.m.*  
⊨ *It rained from 9 to 10 a.m.*
- *John painted a picture from 8 a.m. to 11 a.m.*  
⊭ *John painted a picture from 9 to 10 a.m.*

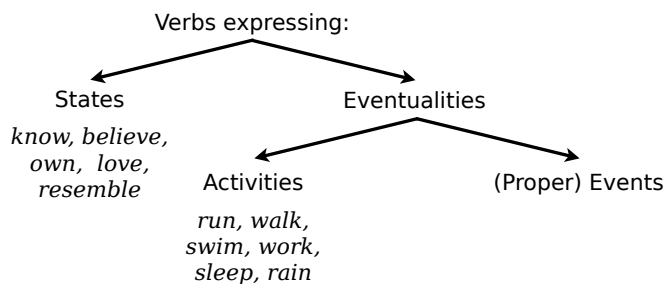
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## Different inferential properties

- *John stopped walking*  
⊨ *John walked*
- *It stopped raining*  
⊨ *It rained*
- *John stopped painting a picture*  
⊭ *John painted a picture*

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## Aspectual Verb Classes - 2



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## Verbs and Events

- Modeling verb semantics using events provides a natural solution to several hard problems of logic-based semantics.
- **However ...**  
Not all verbs can be appropriately interpreted through implicit event arguments.
- **Moreover ...**  
Event-expressing verbs (as opposed to statives) do not form a homogeneous semantic class.
- The same holds even for proper event verbs (as opposed to verbs expressing processes or activities).

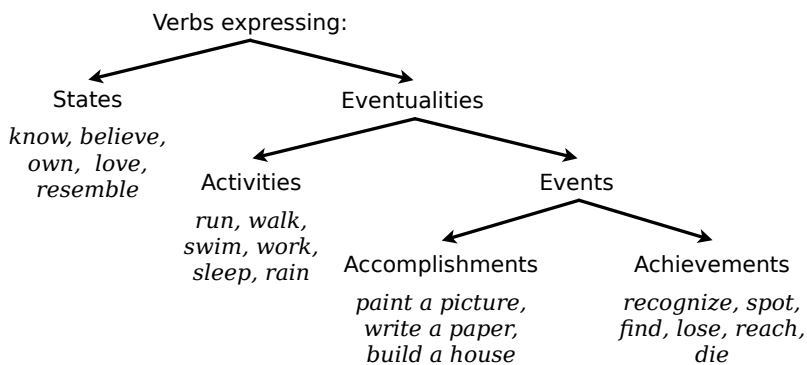
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## Accomplishments vs. Achievements

- (1) a. *John painted a picture*  
b. *John noticed the picture*
- (2) a. *John is painting a picture*  
b. *\*John is noticing a picture*
- (3) a. *John painted a picture from 9 to 11 a.m.*  
b. *\*John noticed the picture from 9 to 11 a.m.*  
c. *\*John reached the top of the hill from 9 to 11 a.m.*
- (4) a. *John stopped painting a picture*  
b. *\*John stopped noticing the picture*  
c. *\*John stopped reaching the top of the hill*

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## Aspectual Verb Classes - 3



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## Vendler's Verb Classification

- The taxonomy of aspectual classes was introduced by the linguist Zeno Vendler in the seventies. It is intuitively appealing, but some issues remain open:
  - What is the essential ontological difference between the different aspectual classes, and how can it be modeled in a logical framework?
  - Vendler talks about “verb classification,” but – as he observes himself – it is verb phrases (*paint a picture, walk to the station*) rather than just the verbs (*paint, walk*) that bear aspectual properties. Compositional treatment?
- To find an answer to these questions, we take a detour through the semantics of common nouns.

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## Plural NPs

- *Bill and Mary work*  $\models$  *Bill works*
- *Bill and Mary work*  $\models$  *Mary works*
  - $\text{work}'(b) \wedge \text{work}'(m) \models \text{work}(b)$
  - $\text{work}'(b) \wedge \text{work}'(m) \models \text{work}(m)$
- *The students work, John is a student*  $\models$  *John works*
  - $\forall x(\text{student}(x) \rightarrow \text{work}'(x)), \text{student}'(j) \models \text{work}(j)$

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## Collective predicates

- *Bill and Mary met*  
 $\not\models$  *Bill met*
- *The students met, John is a student*  
 $\not\models$  *John met*
- *The committee will disolve. John is member of the committee*  
 $\not\models$  *John will dissolve.*
- **“meet” is a collective predicate.**

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## Collective predicates

- **Distributive predicates** like *work, sleep, eat, tall* apply to singular and plural nouns. A predication with a plural NP “distributes” over the individual objects covered by the NP.
- **Collective predicates** are only applicable with plural or group NPs. Their semantics cannot be reduced to atomic statements about single standard individuals.
  - Examples: *meet, gather, unite, agree, be similar, compete, disperse, dissolve, disagree, be numerous, ...*

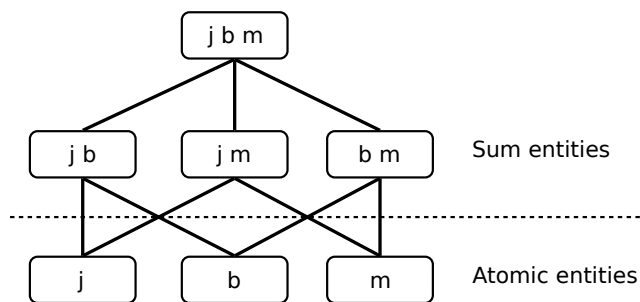
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## Modeling Plural Terms

- In the face of collective predicates, we cannot model the semantics of plural terms using “atomic” entities of standard FOL.
- In addition to standard individuals, we add another sort of entities to the model structure universe: “groups” or “sums.”
- Singular expressions denote standard “atomic” entities, plural and group expressions denote sums.
- To represent the semantic relations between the group and its members, e.g., in the context of distributive predicates, we add a new relation, the membership or “individual part” relation to the model structure.

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## Structured Universe - Example



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## Lattices and Semi-lattices

- A **partial ordered set** is a structure  $(A, \leq)$  where  $\leq$  is a reflexive, transitive, and antisymmetric relation over  $A$ .
- Let  $(A, \leq)$  be a partial order:
  - The **join** of  $a$  and  $b \in A$  (Notation:  $\mathbf{a \sqcup b}$ ) is the lowest upper bound for  $a$  and  $b$ .
  - The **meet** of  $a$  and  $b \in A$  (Notation:  $\mathbf{a \sqcap b}$ ) is the highest lower bound for  $a$  and  $b$ .
- A lattice is a partial order  $(A, \leq)$  which is closed under meet and join.

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## Lattices and Semi-lattices

- A lattice may or may not have one maximal and minimal element.
- If it has such elements, they are named 1 and 0, respectively, and the lattice is called bounded.
- An element  $a \in A$  is an **atom**, if  $a \neq 0$  and there is no  $b \neq 0$  in  $A$  such that  $b < a$ .
- A lattice  $(A, \leq)$  is **atomic**, if for every  $a \neq 0$  there is an atom  $b \leq a$ .
- A **join semi-lattice** is a partial order  $(A, \leq)$  which is closed under join.

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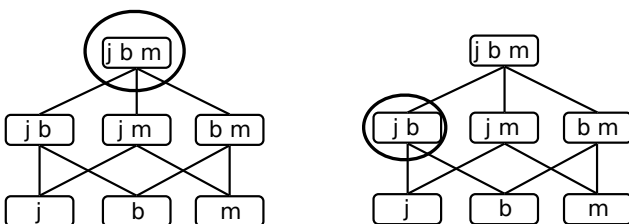
## Model structures for plural terms

- A model structure is a pair  $M = \langle (U, \leq), V \rangle$ , where
  - $(U, \leq)$  is an atomic join semi-lattice with universe  $U$  and individual part relation  $\leq$ .
  - $V$  is a value assignment function.
- $A \subseteq U$  is the set of atoms in  $(U, \leq)$ .
- $U \setminus A$  is the set of non-atomic elements, i.e., the proper sums or groups in  $U$ .

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## Collective predicates

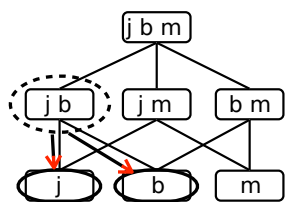
- Collective predicates  $F$  (like *meet*, *collaborate*):
- $V_M(F) \subseteq U \setminus A$



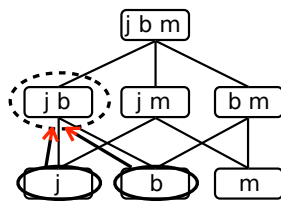
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## Distributive predicates

- Distributive predicates  $F$  (like *work*, *tall*, *student*):
  - $V_M(F) \subseteq U$ , such that
  - $a \in V_M(F)$  and  $b \in V_M(F)$  iff  $a \sqcup b \in V_M(F)$



■  $\rightarrow$ : Distributivity

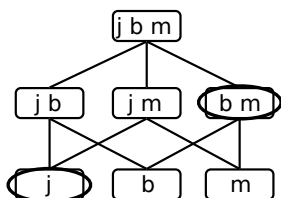


$\leftarrow$ : Closure under summation

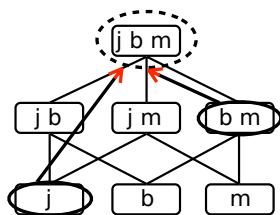
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## Mixed Predicates

- Distributive predicates  $F$  (like *carry a piano*, *solve the exercise*):
  - $V_M(F) \subseteq U$



■ Non-distributive, but closed under summation



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## Language for plural terms

- Like standard FOL. We add a summation operator  $\oplus$ , a one-place predicate  $At$  for “atom” and a two-place relation  $\triangleleft$  for “(proper) individual part,” used as in
  - $j \oplus b$  “the group consisting of John and Bill”
  - $j \triangleleft j \oplus b$  “John is member of the group consisting of John and Bill”
  - $j \oplus b \triangleleft c$  “John and Bill are members of the committee”
- We further introduce variables ranging over proper sums, and write them as  $X, Y, Z, \dots$
- We may also introduce number-specific individual constants “student-sg”, “student-pl” in addition to the general “student”

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## Interpretation

- Like standard FOL interpretation with additional clauses for  $\oplus$  and  $\triangleleft$ :
  - $\llbracket a \oplus b \rrbracket^{M,g} = \llbracket a \rrbracket^{M,g} \sqcup \llbracket b \rrbracket^{M,g}$
  - $\llbracket a \triangleleft b \rrbracket^{M,g} = 1$  iff  $\llbracket a \rrbracket^{M,g} < \llbracket b \rrbracket^{M,g}$
  - $\llbracket \text{At}(a) \rrbracket^{M,g} = 1$  iff  $\llbracket a \rrbracket^{M,g} \in A$
- Individual constants denote either atoms ( $V_M(a) \in A$ ) or sums ( $V_M(a) \in U \setminus A$ )
- Predicate expressions satisfying specific constraints with respect to their semantics:
  - $V_M(\text{student-sg}) \subseteq A$
  - $V_M(\text{student-pl}) \subseteq U \setminus A$

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## Distributive predicates

- If a distributive predicate applies to a set  $M \subseteq A$ , then the full denotation of the predicate is the join semi-lattice generated by  $M$ .
- The denotation of distributive predicates  $F$  is uniquely determined by their atomic members:
  - $\forall x[F(x) \leftrightarrow \forall y[\text{At}(y) \wedge y \triangleleft x \rightarrow F(y)]]$

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