

Computational Linguistics

Distributional Semantics

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Goal

Goal:

treat document clustering and word clustering on the same footing (same semantic space)

find low dimensional representations

From Frequency to Meaning: Vector Space Models of semantics

Based on a paper by Turney and Pantel; Journal of Artificial Intelligence Research, 2010, page 141

Advantages

- Derive semantics from corpus
- Good automatic coverage of two main types of lexical properties:
 - attributional similarity, e.g. how similar are “dog” and “cat”?
 - relational similarity, e.g. “dog” : “tail” :: “car” : ?

Similarities

- Document-Document
 - > build a term document matrix
 - > Calculate distance between vectors representing documents directly
 - > Use LSA, ...

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Alternative: word-context matrix (context being phrase, sentence, paragraph, ...)

Assumption: words that occur in similar contexts have similar meaning

Similarity of Relations

Row:

pairs of words (e.g. mason:stone)

Column:

patterns:

X cuts Y

X works with Y

...

Patterns establish relations between words

Measure similarity between patterns

Similarity of Relations

Table 3. The top-20 most similar paths to “X solves Y”.

| | |
|---------------------------------------|-------------------------------------|
| <i>Y</i> is solved by <i>X</i> | <i>Y</i> is resolved in <i>X</i> |
| <i>X</i> resolves <i>Y</i> | <i>Y</i> is solved through <i>X</i> |
| <i>X</i> finds a solution to <i>Y</i> | <i>X</i> rectifies <i>Y</i> |
| <i>X</i> tries to solve <i>Y</i> | <i>X</i> copes with <i>Y</i> |
| <i>X</i> deals with <i>Y</i> | <i>X</i> overcomes <i>Y</i> |
| <i>Y</i> is resolved by <i>X</i> | <i>X</i> eases <i>Y</i> |
| <i>X</i> addresses <i>Y</i> | <i>X</i> tackles <i>Y</i> |
| <i>X</i> seeks a solution to <i>Y</i> | <i>X</i> alleviates <i>Y</i> |
| <i>X</i> do something about <i>Y</i> | <i>X</i> corrects <i>Y</i> |
| <i>X</i> solution to <i>Y</i> | <i>X</i> is a solution to <i>Y</i> |

DIRT – Discovery of Inference Rules from Text

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Similarity of Pairs of Words

Stem: mason:stone

- Choices:
- (a) *teacher:chalk*
 - (b) *carpenter:wood*
 - (c) *soldier:gun*
 - (d) *photograph:camera*
 - (e) *book:word*

Similarity of Semantic Relations

Peter D. Turney *
National Research Council Canada

Similarity of Pairs of Words

Table 10

The sixteen combinations and their cosines. $A:B::C:D$ expresses the analogy “ A is to B as C is to D ”. The third column indicates those combinations for which the cosine is greater than or equal to the cosine of the original analogy, quart:volume::mile:distance.

| Word pairs | Cosine | Cosine \geq original pairs |
|---------------------------------|--------|------------------------------|
| quart:volume::mile:distance | 0.525 | yes (original pairs) |
| quart:volume::feet:distance | 0.464 | |
| quart:volume::mile:length | 0.634 | yes |
| quart:volume::length:distance | 0.499 | |
| liter:volume::mile:distance | 0.736 | yes |
| liter:volume::feet:distance | 0.687 | yes |
| liter:volume::mile:length | 0.745 | yes |
| liter:volume::length:distance | 0.576 | yes |
| gallon:volume::mile:distance | 0.763 | yes |
| gallon:volume::feet:distance | 0.710 | yes |
| gallon:volume::mile:length | 0.781 | yes (highest cosine) |
| gallon:volume::length:distance | 0.615 | yes |
| pumping:volume::mile:distance | 0.412 | |
| pumping:volume::feet:distance | 0.439 | |
| pumping:volume::mile:length | 0.446 | |
| pumping:volume::length:distance | 0.491 | |

Similarity of Semantic Relations

The big playground

- Pick:
 - Type of context (e.g. document, sentence, pattern, ...)
 - Representation (e.g. frequency, tf-idf, ...)
 - Way to process the matrix (e.g. original, LSA, NMF, ...)
 - Distance metric (Euclidian, cosine, ...)

Homework

Gold standard: some human annotations for the similarity of two words:

```
...
tiger cat 7.35
tiger jaguar 8.00
tiger carnivore 7.08
tiger mammal 6.85
tiger animal 7.00
tiger organism 4.77
tiger fauna 5.62
...
```

- Use Penn-Treebank to build a vector with context words (e.g. one left, one right) containing the frequency (or tf-idf value) for each context word
- Calculate the similarity between the two vectors representing the first and second word (Euclidian or cosine distance)

How good are you able to reproduce the human annotation?

This is a very experimental task!

Vector-based Models of Semantic Composition

Based on a paper by Jeff Mitchell and Mirella Lapata, ACL 2008.

Composition

- Meaning of larger units determined from meaning of smaller units
 - Morphemes
 - Words
 - Phrases
 - Sentences

Approaches

- Logic-based View
 - Write down logical expressions for parts
 - Logical expressions for larger units derived from parts

Limits

- Fully compositional: e.g. “black dog”

VS

- Idioms: “kick the bucket”

Formalizing composition

$$p=f(u,v,R,K)$$

What is a good f()?

u: representation of the meaning of the first constituent

v: representation of the meaning of the second constituent

R: syntactic relation

K: Knowledge about the real world

p: meaning of the composition

Vector based approaches

p , u and v are vectors in some semantic space

In particular:

p is in the same space as u and v

Linear functions

- Most general

$$\vec{p} = A\vec{u} + B\vec{v} + \vec{n}$$

with matrices A and B

- Specific versions

$$\vec{p} = \vec{u} + \vec{v}$$

additive

$$\vec{p} = \vec{u} + \vec{v} + \vec{n}$$

“Kintsch”

$$\vec{p} = \alpha\vec{u} + \beta\vec{v}$$

weighted additive

Example

Hypothetical semantic space

| | Music | Solution | Economy | Craft | Reasonable |
|------------|-------|----------|---------|-------|------------|
| practical | 0 | 6 | 2 | 10 | 4 |
| difficulty | 1 | 8 | 4 | 4 | 0 |

What would be the “combined semantics” of “practical difficulty” using

- the additive model
- the weighted additive model (using $\alpha=0.4$ and $\beta=0.6$)

Multiplicative combination (bilinear)

- Most general

$$\vec{p} = C\vec{u}\vec{v}$$

C : a rank 3 Tensor

that is

$$p_k = \sum_{i,j} C_{k,i,j} u_i v_j$$

- Specific versions

$$p_i = u_i v_i$$

multiplication

$$p_i = \sum_{j=1}^n u_j v_{(i-j) \bmod n}$$

circular convolution

Experiments by Mitchell and Lapata

Collected human similarity ratings for

- adjective-noun
- Noun-noun
- Verb-object

phrases

(e.g. how similar is “professional advice” and “expert opinion”)

Compare to models of compositionality

Results

| Model | Adjective-Noun | Noun-Noun | Verb-Object |
|-------------------|----------------|-----------|-------------|
| Additive | 0.36 | 0.39 | 0.30 |
| Kintsch | 0.32 | 0.22 | 0.29 |
| → Multiplicative | 0.46 | 0.49 | 0.37 |
| Tensor Product | 0.41 | 0.36 | 0.33 |
| Convolution | 0.09 | 0.05 | 0.10 |
| Weighted Additive | 0.44 | 0.41 | 0.34 |
| Dilation | 0.44 | 0.41 | 0.38 |
| Target Unit | 0.43 | 0.34 | 0.29 |
| Head Only | 0.43 | 0.17 | 0.24 |
| → Humans | 0.52 | 0.49 | 0.55 |

Multiplicative combination performs best

But: theoretical foundation needed

Latest trends

- Represent words as matrices (and vectors)
- Combine using neural networks

Summary

The playground of distributional semantics

Compositionality