



Computational Psycholinguistics

Lecture 6: Probabilistic Parsing

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Probabilistic Language Processing

Task of comprehension: recover the correct interpretation

Goal: Determine the most likely analysis for a given input:

$$\operatorname{argmax}_i P(s_i) \text{ for all } s_i \in S$$

P hides a multitude of sins:

P corresponds to the degree of belief in a particular interpretation

Influenced by recent utterances, experience, non-linguistic context

P is usually determined by frequencies in corpora or completions

To compare probabilities (of the S_i), we assume parallelism. How much?



The Model: A Simple POS Tagger

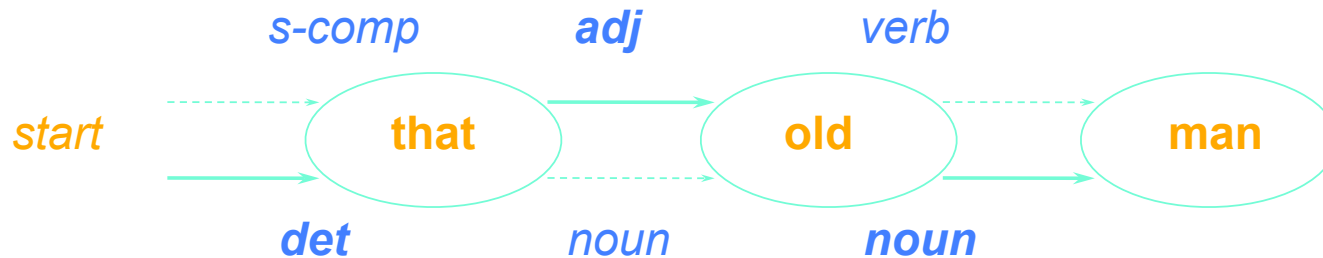
Find the best category path $(t_1 \dots t_n)$ for an input sequence of words $(w_1 \dots w_n)$:
$$P(t_0, \dots, t_n, w_0, \dots, w_n) \approx \prod_{i=1}^n P(w_i | t_i) P(t_i | t_{i-1})$$

Initially preferred category depends on two parameters:

- Lexical bias: $P(w_i | t_i)$

- Category context: $P(t_i | t_{i-1})$

Categories are assigned incrementally: Best path may require revision



2 Predictions

❏ The Statistical Hypothesis:

- ❏ Lexical word-category frequencies are used for initial category resolution

❏ The Modularity Hypothesis:

- ❏ Initial category disambiguation is modular, and not determined by (e.g. syntactic) context

❏ Two experiments investigate

- ❏ The use word-category statistics
- ❏ Autonomy from syntactic context



Statistical Lexical Category

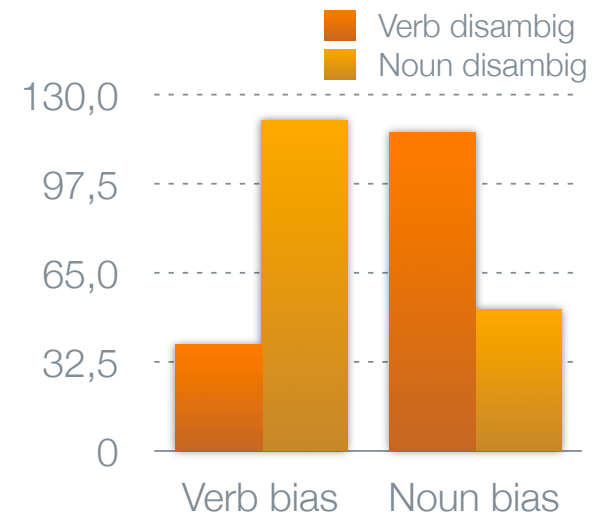
Initially preferred category depends on: $P(t_0, \dots, t_n, w_0, \dots, w_n) \approx \prod_{i=1}^n P(w_i | t_i) P(t_i | t_{i-1})$

Categories are assigned incrementally

- the warehouse prices the beer very modestly
 DET N N/V V!
- the warehouse prices are cheaper than the rest
 DET N N/V N ...
- the warehouse makes the beer very carefully
 DET N N/V V
- the warehouse makes are cheaper than the rest
 DET N N/V N! ...

- Lexical bias: $P(w_i | t_i)$
- Category context: $P(t_i | t_{i-1})$
- Trained on the Susanne corpus

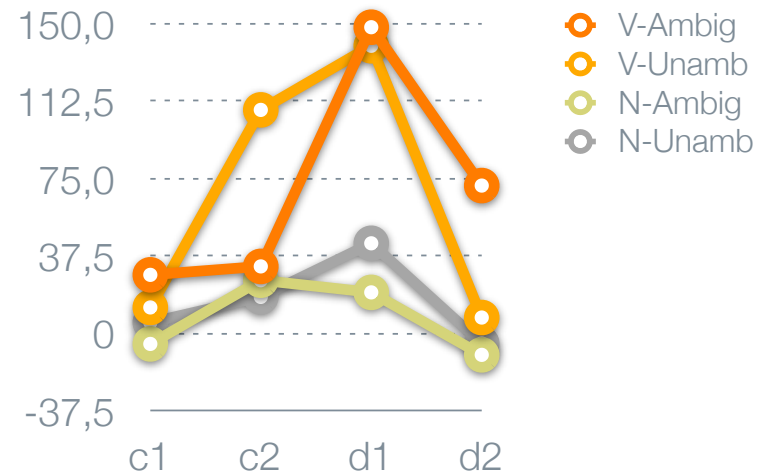
- Interaction between bias and disambiguation
- Lexical category frequency determines initial category decisions



Modular Disambiguation?

- ❏ Do initial decisions reflect integrated use both lexical and syntactic constraints/biases or just (modular) lexical category biases?
 - ❏ N/V bias with immediate/late syntactic disambiguation as noun

- ❏ Main effect of bias at disambiguation:
 - ❏ Initial decisions ignore syntactic context.
 - ❏ Problematic for lexicalist syntactic theories
 - ❏ At c2, VAVU difference is significant
 - ❏ Implies lexical category doesn't include number (!)



- a) **[V-bias, N-disamb]** The warehouse **makes are** cheaper than the rest.
- b) **[V-bias, N-unamb]** The warehouse **make is** cheaper than the rest.
- c) **[N-bias, N-disamb]** The warehouse **prices are** cheaper than the rest.
- d) **[N-bias, N-unamb]** The warehouse **price is** cheaper than the rest.



‘That’ Ambiguity (Juliano & Tanenhaus)

That experienced diplomat(s) would be very helpful ... [DET]

The lawyer insisted *that experienced* diplomat(s) would be very helpful [Comp]

Initially: $\text{det}=.35$ $\text{comp}=.11$ Post-verbally: $\text{comp}=.93$ $\text{det}=.06$

Found increased RT when dispreferred (according to context) is forced

Advocates bigram over unigram:

$P(\text{that}|\text{comp})= 1$, $P(\text{that}|\text{det})=.171$

$P(\text{comp}|\text{verb})=.0234$, $P(\text{det}|\text{verb})=.0296$

$P(\text{comp}|\text{start})=.0003$, $P(\text{det}|\text{start})=.0652$

t_i	Comp	Det
$t_{i-1} = \text{verb}$.0234	.0051
$t_{i-1} = \text{start}$.0003	.0111

Internal Reanalysis

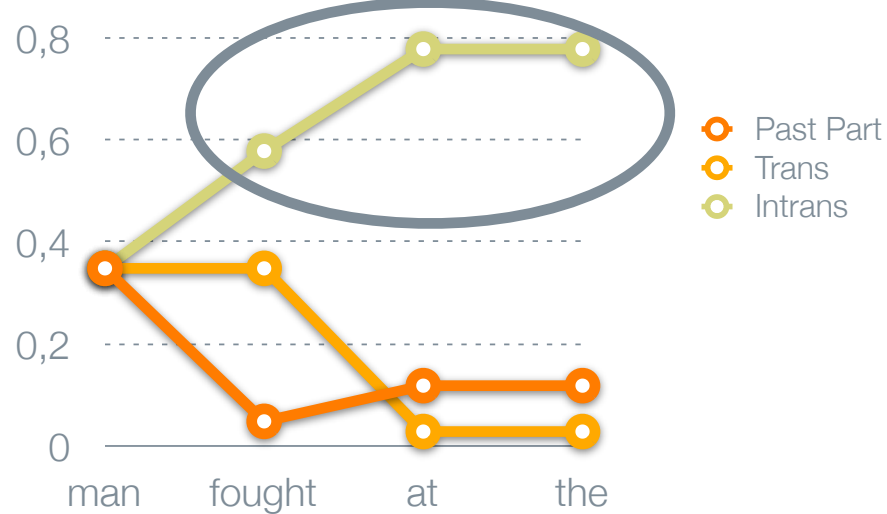
- ❁ The tagger model predicts internal reanalysis for some sequences.
- ❁ Viterbi: revise most likely category sequence based on new evidence
- ❁ Right context in RR/MV ambiguities: [MacDonald 1994]
 - ❁ The sleek greyhound *raced at the track* won the event
 - ❁ The sleek greyhound *admired at the track* won the event
- ❁ *raced* = intrans bias, *admired* = trans bias
- ❁ Increased RT (blue) indicate transitivity bias is used



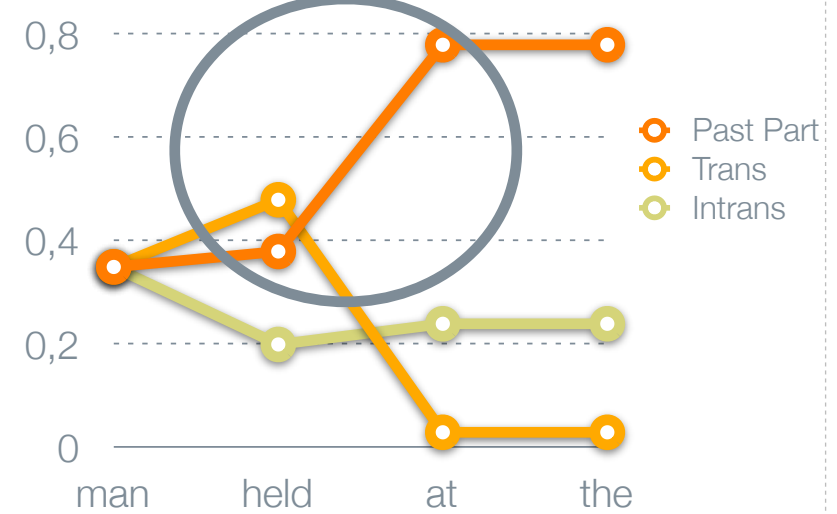
An SLCM Account

- Assume transitive/intransitive POS categories, extract frequencies from the Susanne corpus: *The man fought at the police station fainted* [intransitive]
The man held at the police station fainted [transitive]

Predicts garden path for intransitives



Predicts rapid reanalysis for transitives



SLCM Summary

- 🍯 Psychologically plausible: lower statistical complexity than other models
- 🍯 High accuracy in general: explains why people perform well overall
- 🍯 Explains where people have difficulty
 - 🍯 Statistical: category frequency **drives** initial category decisions
 - 🍯 Modular: syntax structure **doesn't determine** initial category decisions
 - 🍯 Bigram evidence: “that” ambiguity [Juliano and Tanenhaus]
 - 🍯 Reanalysis of verb transitivity for ‘reduced relatives’ [MacDonald]



Comments on the SLCM

- combines optimality with psychological plausibility
- category preference appears truly frequency-based
- indication of which features are exploited [e.g. transitivity, not number]
- Implications for the Grain Problem?
 - Bigrams used, but not structure ?
 - Transitivity but not number ?



Estimating P: The Grain Problem

Suppose you have been exposed to N sentences in your lifetime

“Our company is training workers”

$$P(S=s_1) = C(s_1)/N$$

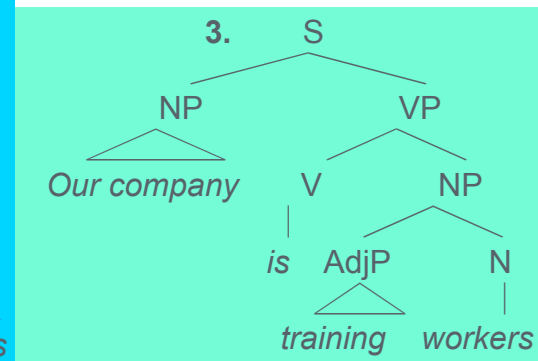
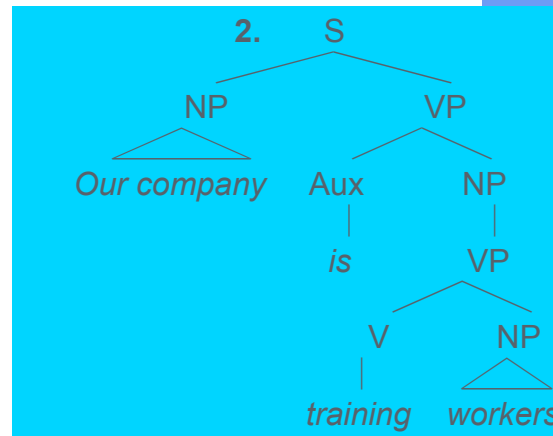
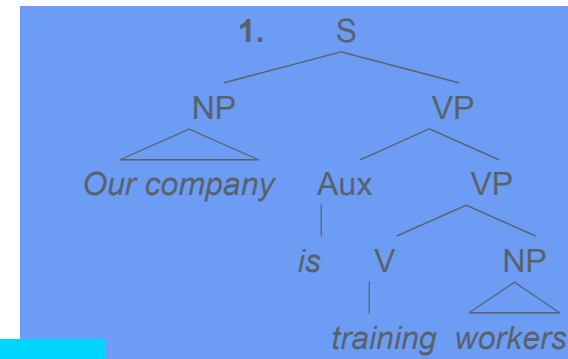
$$P(S=s_2) = C(s_2)/N$$

$$P(S=s_3) = C(s_3)/N$$

Problem: $P=0$, often

Solution:

Estimate P, by combining probabilities of smaller chunks



Probabilistic Grammars

Context-free rules annotated with probabilities

Probabilities of all rules with the same LHS sum to one;

Probability of a parse is the product of the probabilities of all rules applied.

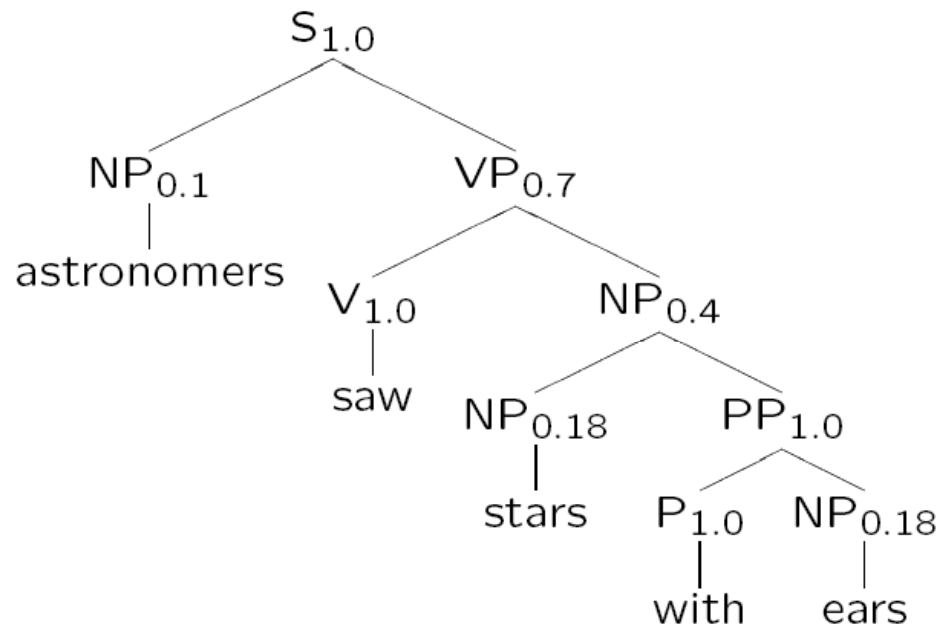
Example (Manning and Schütze 1999)

$S \rightarrow NP VP$	1.0	$NP \rightarrow NP PP$	0.4
$PP \rightarrow P NP$	1.0	$NP \rightarrow \text{astronomers}$	0.1
$VP \rightarrow VP NP$	0.7	$NP \rightarrow \text{ears}$	0.18
$VP \rightarrow VP NP$	0.3	$NP \rightarrow \text{saw}$	0.04
$P \rightarrow \text{with}$	1.0	$NP \rightarrow \text{stars}$	0.18
$V \rightarrow \text{saw}$	1.0	$NP \rightarrow \text{telescopes}$	0.1



Parse Ranking

t_1 :

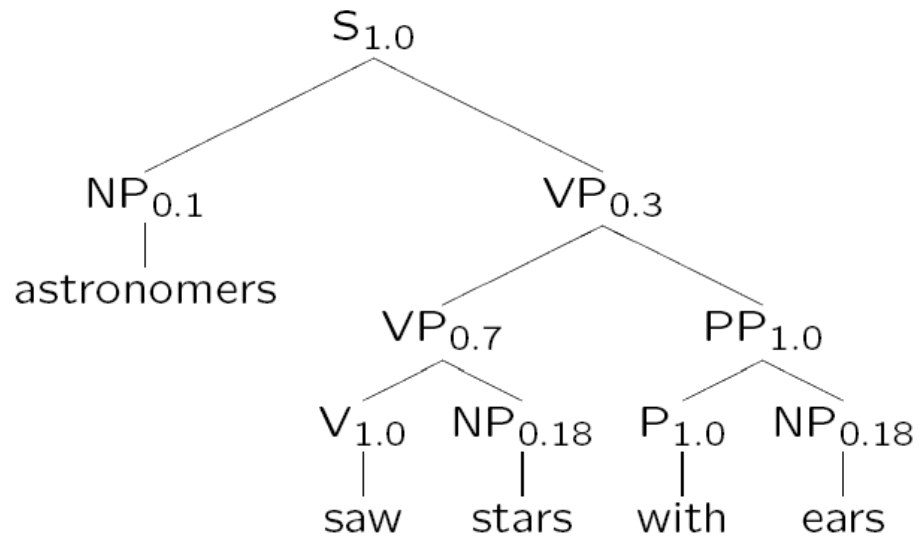


$$P(t_1) = 1.0 \times 0.1 \times 0.7 \times 1.0 \times 0.4 \times 0.18 \times 1.0 \times 1.0 \times 0.18 = 0.0009072$$



Parse Ranking

t_2 :



$$P(t_1) = 1.0 \times 0.1 \times 0.3 \times 0.7 \times 1.0 \times 0.18 \times 1.0 \times 1.0 \times 0.18 = 0.0006804$$



Jurafsky (1996)

- ❏ Psycholinguistic model of lexical and syntactic access and disambiguation
- ❏ Exploits concepts from statistical parsing
 - ❏ Probabilistic CFGs
 - ❏ Bayesian modeling frame probabilities
- ❏ Architecture: Probabilistic, bounded, parallel parser
 - ❏ Parses are “pruned” (removed from memory) if they fall outside the “beam”
 - ❏ E.g. if they are too improbable with respect to the best parse
 - ❏ Pruned parses are predicted to reflect garden-path sentences



Frame Preferences

🍷 The women discussed the dogs on the beach.

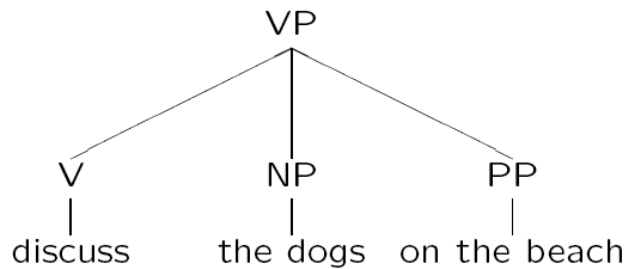
🍷 t1. The women discussed them (the dogs) while on the beach. (10%)

🍷 t2. The women discussed the dogs which were on the beach. (90%)

$$p(\text{discuss}, \langle \text{NP PP} \rangle) = 0.24$$

$$\text{VP} \rightarrow \text{V NP XP} \quad 0.15$$

t₁:



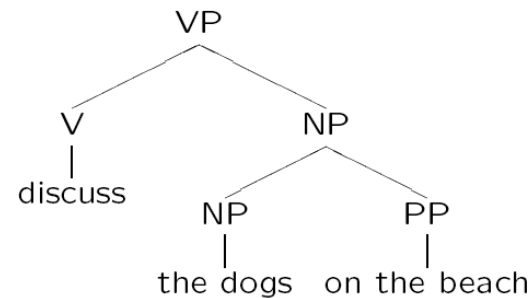
$$p(t_1) = 0.15 \times 0.24 = 0.036 \text{ (dispreferred)}$$

$$p(\text{discuss}, \langle \text{NP} \rangle) = 0.76$$

$$\text{VP} \rightarrow \text{V NP} \quad 0.39$$

$$\text{NP} \rightarrow \text{NP XP} \quad 0.14$$

t₂:



$$p(t_2) = 0.76 \times 0.39 \times 0.14 = 0.041 \text{ (preferred)}$$



Frame Preferences

🍷 The women kept the dogs on the beach.

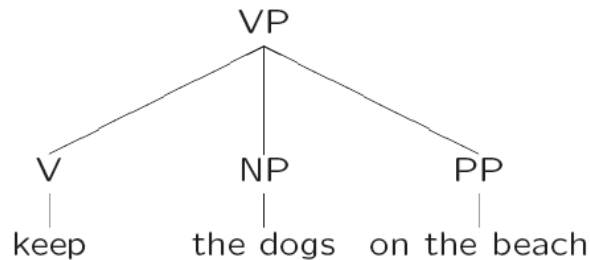
🍷 t1. The women kept the dogs which were on the beach. (10%)

🍷 t2. The women kept them (the dogs) while on the beach. (90%)

$$p(\text{keep}, \langle \text{NP XP}[\text{pred } +] \rangle) = 0.81$$

$$\text{VP} \rightarrow \text{V NP XP} \quad 0.15$$

t₁:



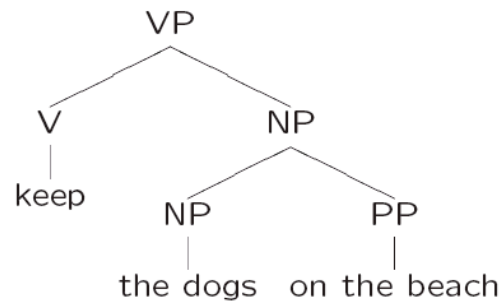
$$p(t_1) = 0.15 \times 0.81 = 0.12 \text{ (preferred)}$$

$$p(\text{keep}, \langle \text{NP} \rangle) = 0.19$$

$$\text{VP} \rightarrow \text{V NP} \quad 0.39$$

$$\text{NP} \rightarrow \text{NP XP} \quad 0.14$$

t₂:



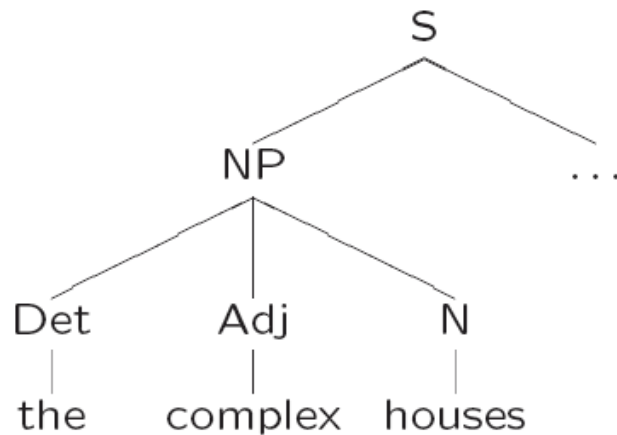
$$p(t_2) = 0.19 \times 0.39 \times 0.14 = 0.01 \text{ (dispreferred)}$$



Construction Preferences

$S \rightarrow NP \dots$ 0.92
 $NP \rightarrow Det \ Adj \ N$ 0.28
 $N \rightarrow ROOT \ s$ 0.23
 $N \rightarrow house$ 0.0024
 $Adj \rightarrow complex$ 0.00086

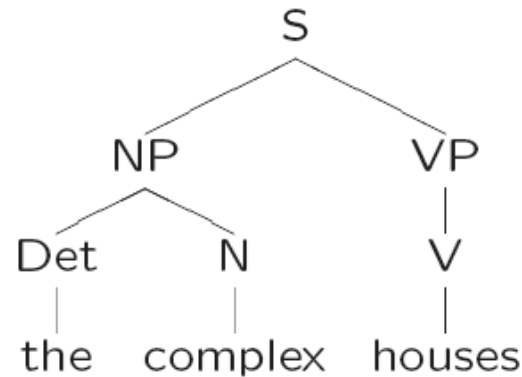
t_1 :



$p(t_1) = 1.2 \times 10^{-7}$ (preferred)

$NP \rightarrow Det \ N$ 0.63
 $S \rightarrow [NP \ VP[V \dots]$ 0.48
 $N \rightarrow complex$ 0.000029
 $V \rightarrow house$ 0.0006
 $V \rightarrow ROOT \ s$ 0.086

t_1 :

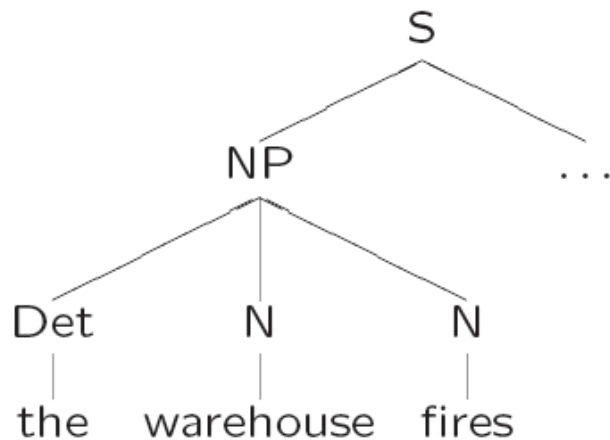


$p(t_1) = 4.5 \times 10^{-10}$ (dispreferred)

Construction Preferences

$S \rightarrow NP \dots$ 0.92
 $NP \rightarrow Det\ N\ N$ 0.28
 $N \rightarrow fire$ 0.00072
 $N \rightarrow ROOT\ s$ 0.23

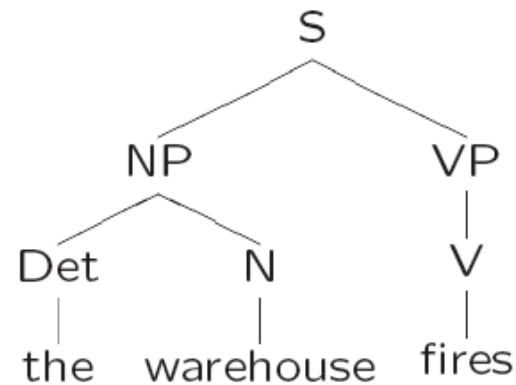
t_1 :



$p(t_1) = 4.2 \times 10^{-5}$ (preferred)

$NP \rightarrow Det\ N$ 0.63
 $S \rightarrow [NP\ VP[V \dots]$ 0.48
 $V \rightarrow fire$ 0.00042
 $V \rightarrow ROOT\ s$ 0.086

t_1 :



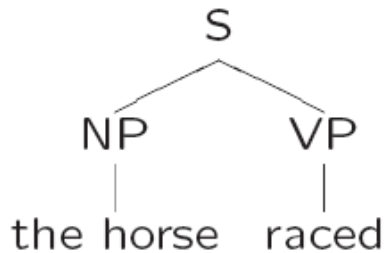
$p(t_1) = 1.1 \times 10^{-5}$ (dispreferred)

Frame and Construction Probs

“The horse raced past the barn fell.”

$$p(\text{race}, \langle \text{NP} \rangle) = 0.92$$

t_1 :

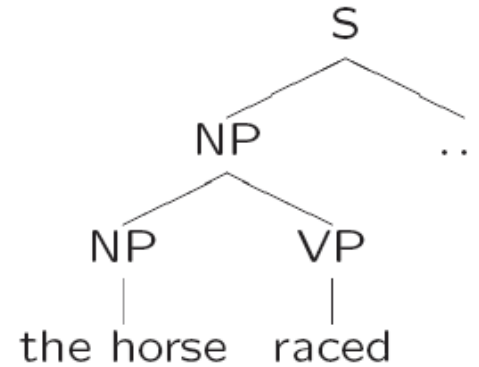


$$p(t_1) = 0.92 \text{ (preferred)}$$

$$p(\text{race}, \langle \text{NP NP} \rangle) = 0.08$$

$$\text{NP} \rightarrow \text{NP XP} \quad 0.14$$

t_2 :



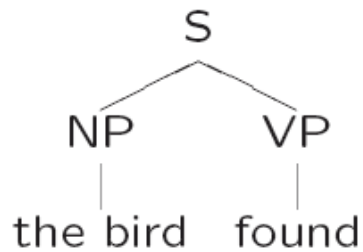
$$p(t_2) = 0.0112 \text{ (dispreferred)}$$

Frame and Construction Probs

“The bird found died”

$$p(\text{find}, \langle \text{NP} \rangle) = 0.38$$

t_1 :

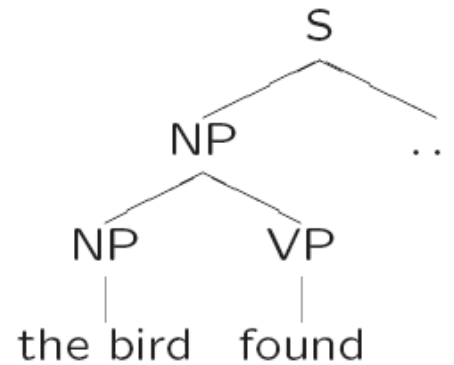


$$p(t_1) = 0.38 \text{ (preferred)}$$

$$p(\text{find}, \langle \text{NP NP} \rangle) = 0.62$$

$$\text{NP} \rightarrow \text{NP XP} \quad 0.14$$

t_2 :



$$p(t_2) = 0.0868 \text{ (dispreferred)}$$

Setting Beam Width

- Assumption: if the relative probability of a parse with respect to the best parse drops below a certain threshold, it will be pruned

sentence	probability ratio
the complex houses ...	267:1
the horse raced ...	82:1
the warehouse fires ...	3.8:1
the bird found ...	3.7:1

- Claim:** a tree is pruned, and therefore a garden-path, if the probability ration is greater than **5:1**



Open Issues

- ❏ Incrementality: Can we make more fine grained predictions about the time course of ambiguity
- ❏ Relative difficulty: Jurafsky doesn't distinguish the relative difficulty of parses/interpretations that remain in the beam
- ❏ Memory: No account for memory load within a sentence (e.g. centre embeddings)
- ❏ Cross-linguistics: Does the model work well for languages other than English?

