# Semantic Theory week 8 – Dynamic Semantics

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# Context theory

Natural-language expressions can vary their meaning with context:

I, you, here, this, now, ...

### Idea:

- Model contexts as vectors: sequences of semantically relevant context data with fixed arity.
- Model meanings as functions from contexts to denotations more specifically, as functions from specific context components to denotations.

# Defining a context vector

- Context  $c = \langle a, b, l, t, r \rangle$ 
  - a speaker
  - b addressee
  - / utterance location
  - t utterance time
  - r referred object

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[I]^{M,g,c} = utt(c) = a
[you]^{M,g,c} = adr(c) = b
[here]^{M,g,c} = loc(c) = l
[now]^{M,g,c} = time(c) = t
[this]^{M,g,c} = ref(c) = r
```

# Type-theoretic context semantics

Model structure:  $M = \langle U, C, V \rangle$ , where U is the universe, C is the context set, and V is value assignment function that assigns non-logical constants functions from contexts to denotations of appropriate type.

### Interpretation:

- $[a]^{M,g,c} = V(a)(c)$ , if a is a non-logical constant
- $[a]^{M,g,c} = g(a)$ , if a is a variable
- $\llbracket a(\beta) \rrbracket^{M,g,c} = \llbracket a \rrbracket^{M,g,c} (\llbracket \beta \rrbracket^{M,g,c})$
- · etc.

# An example

I am reading this book  $\Rightarrow$  read'(this-book')(I')

$$[\text{read'(this-book')(l')}]^{M,g,c} = 1$$

iff  $[\text{read'}]^{M,g,c}([\text{this-book'}]^{M,g,c})([\text{l'}]^{M,g,c}) = 1$ 

iff V(read')(ref(c))(utt(c)) = 1

Context-invariant expressions are constant functions:

V(read')(c) = V(read')(c') for all  $c, c' \in C$ 

# Context-dependent expressions

Deictic expressions depend on the physical utterance situation:

I, you, now, here, this, ...

Anaphoric expressions refer to the linguistic context / previous discourse:

· he, she, it, then, ...

But there is more ...

## More context-dependent expressions

Context dependence is a pervasive property of natural language:

- (1) Every student must be familiar with the basic properties of first-order logic.
- (2) It is hot and sunny everywhere.
- (3) John <u>always</u> is late.
- (4) Bill has bought an <u>expensive</u> car.
- (5) Another one, please!
- (6) The student is working.

Type-theory is too limited to account for this amount of context-dependence

# Another problem for traditional type theory

Indefinite noun phrases and conditionals interact strangely...

If a farmer owns a donkey, he beats feeds it.

- (1)  $\exists x \exists y [farmer(x) \land donkey(y) \land owns(x,y)] \rightarrow feeds(x,y)$
- not closed (x and y occur free)
- (2)  $\exists x \exists y [farmer(x) \land donkey(y) \land owns(x,y) \rightarrow feeds(x,y)]$
- wrong truth conditions (much too weak)
- (3)  $\forall x \forall y [farmer(x) \land donkey(y) \land owns(x,y) \rightarrow feeds(x,y)]$
- correct, but how can it be derived compositionally?

Geach, 1962

## What are indefinites?

Option I: Existential quantifiers? (cf. Russell, 1919)

No: donkey sentences

Option II: Universal quantifiers?

No: (1) a. A dog came in. It is pretty.

b. Every dog came in. # It is pretty.

Option III: Ambiguous?

## Meanwhile at the philosophy department...

## What is meaning?

- Truth-conditions vs. context-change
- Sentence vs. discourse
- Semantics vs. pragmatics



## A new perspective on meaning

## Dynamic Semantics:

- Basic semantic value: truth-conditions
  - context-change potential
- II. (In)definite NPs are quantificational → variables

III. Existential quantification over sentence -> discourse

∨. Quantification is selective 
→ unselective

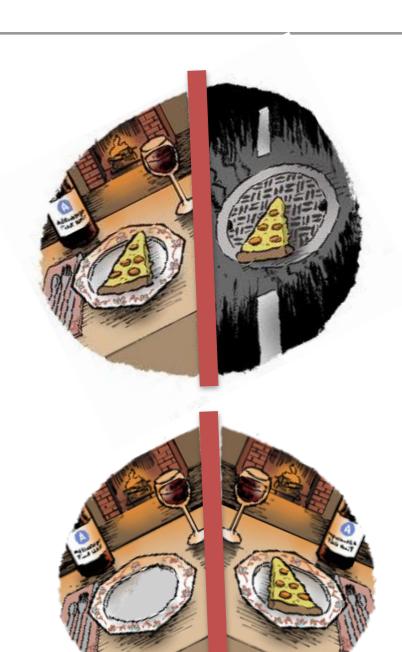
# Context-change potential

## Context ← meaning

- → Context changes meaning
- ← Meaning changes context

In dynamic semantics, the meaning of an expression is the effect it has on its context

N.B. This is a *generalisation* rather than an alternative to classical truth-conditional semantics



## II/III. Discourse variables & quantification

"Division of labor" between definite and indefinite NPs:

- Indefinite NPs introduce discourse referents, which can serve as antecedents for anaphoric reference.
- Definite NPs refer to "old" or "familiar" discourse referents (which are already part of the meaning representation).
- (1) A dog came in. It barked.
  - $dog(x) \wedge came-in(x) \wedge barked(x)$

... is true iff there is a value for x which verifies the conditions.

# IV. Unselective quantification



... is true iff **for every value assignment** to x and y: if  $[farmer(x) \land donkey(y) \land owns(x,y)]^{M,g} = 1$  then  $[feeds(x,y)]^{M,g} = 1$ 

Quantification is restricted to those individuals who satisfy the restriction (unselectively, i.e., all free variables are bound).

## Great minds...

Hans Kamp



Discourse Representation Theory (DRT)

Irene Heim

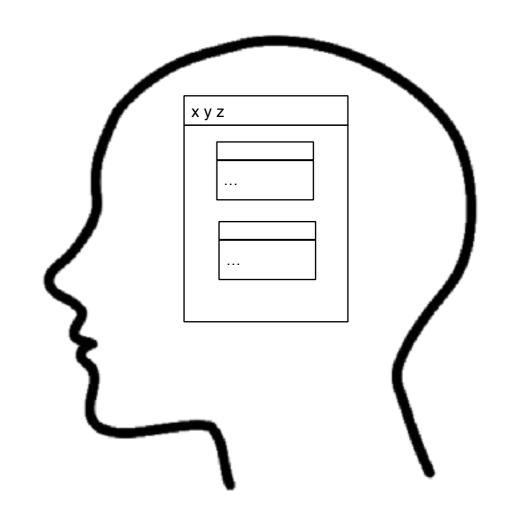


File Change Semantics (FCS)

# Discourse Representation Theory

Mentalist and representationalist theory of the interpretation of discourse

- Discourse Representation Structures
- Construction procedure for DRSs
- Model-theoretic interpretation



(Kamp, 1981; Kamp & Reyle, 1993)

## Basic features of DRT

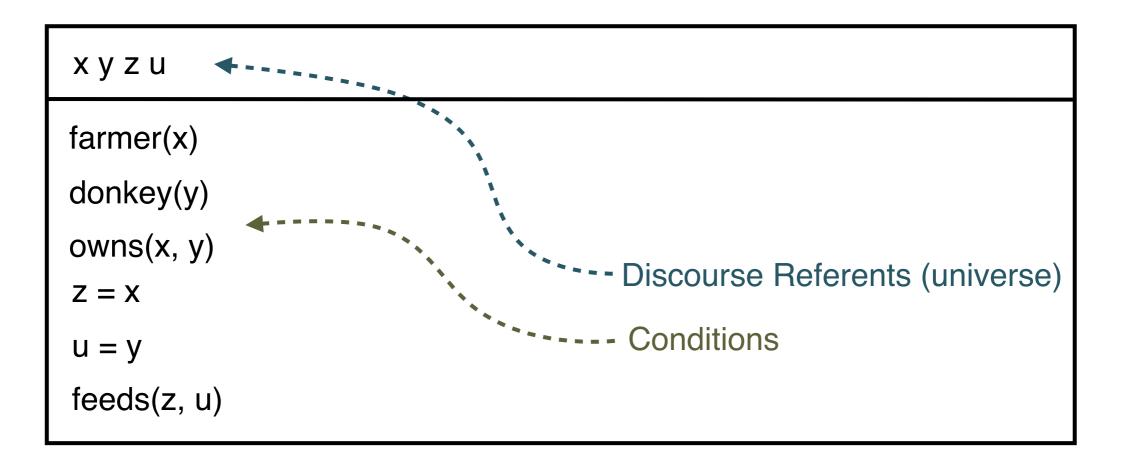
- DRT models linguistic meaning as anaphoric potential (through DRS construction) plus truth conditions (through model embedding).
- In particular, DRT explains the ambivalent character of indefinite noun phrases:

Indefinite NPs are expressions that introduce new reference objects into the context, and are truth conditionally equivalent to existential quantifiers.

# Indefinites and anaphora in DRT

A context is represented as a Discourse Representation Structure (DRS) consisting of a set of referents and a set of conditions

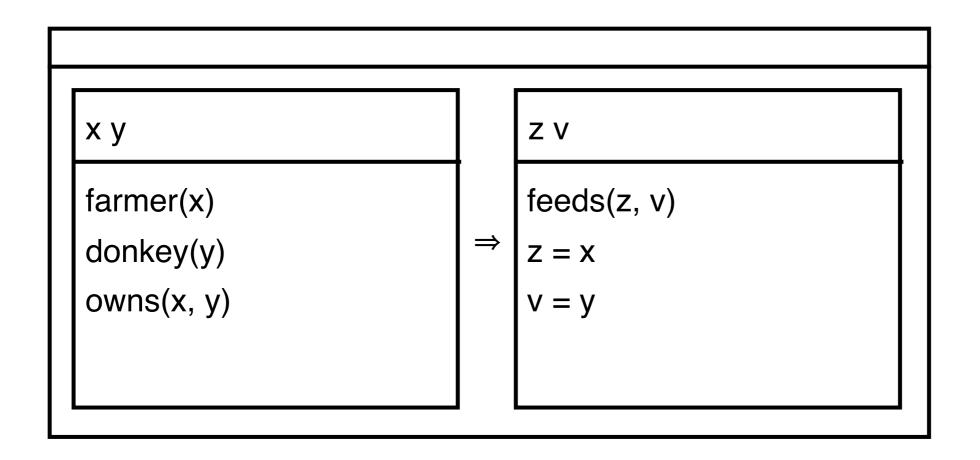
A farmer owns a donkey. He feeds it.



# Donkey sentences in DRT

Unselective quantification is achieved by embedded contexts

If a farmer owns a donkey, he feeds it.



# DRS Syntax

•  $K_1 \Rightarrow K_2$ 

A discourse representation structure (DRS) K is a pair  $\langle U_K, C_K \rangle$ , where:

- U<sub>K</sub> ⊆ U<sub>D</sub> and U<sub>D</sub> is a set of discourse referents, and
- Ck is a set of well-formed DRS conditions

#### Well-formed DRS conditions:

•  $R(u_1, ..., u_n)$  where: R is an n-place relation,  $u_i \in U_D$ 

• u = V  $u, v \in U_D$ 

• u = a  $u \in U_D$ , a is a constant

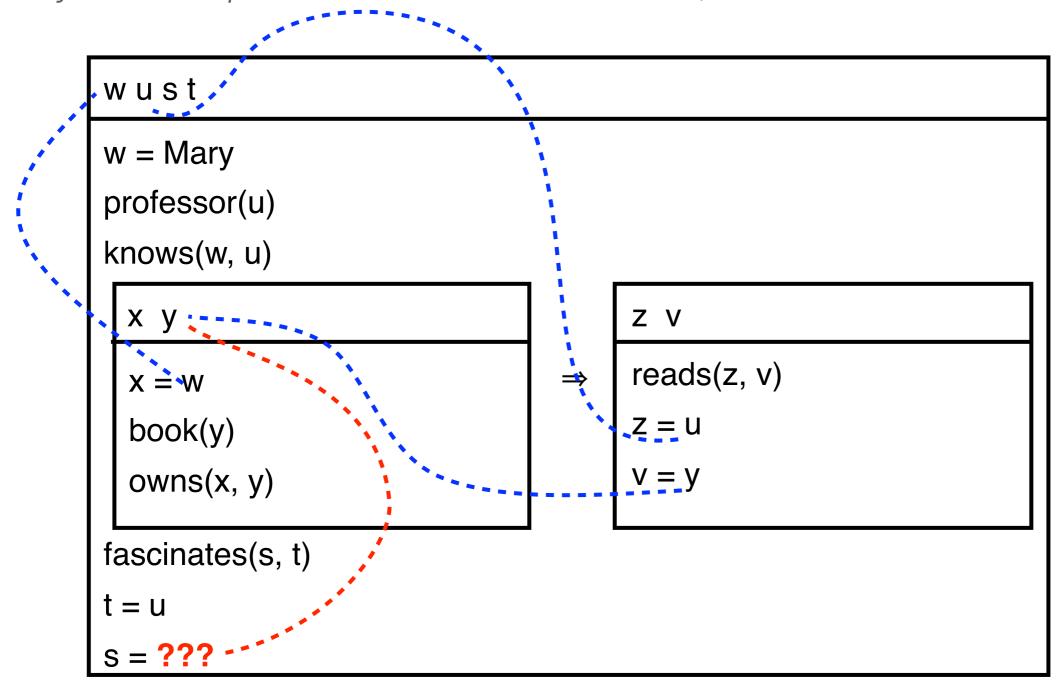
•  $\neg K_1$   $K_1$  is a DRS

K<sub>1</sub> and K<sub>2</sub> are DRSs

•  $K_1 \vee K_2$   $K_1$  and  $K_2$  are DRSs

# Anaphora and accessibility

Mary knows a professor. If she owns a book, he reads it.? It fascinates him.



## Non-accessible discourse referents

### Cases of non-accessibility:

- (1) If a professor owns a book, he reads it. It has 300 pages.
- (2) It is not the case that a professor owns a book. He reads it.
- (3) Every professor owns a book. He reads it.
- (4) If every professor owns a book, he reads it.
- (5) Peter owns a book, or Mary reads it.
- (6) Peter reads a book, or Mary reads a newspaper article. It is interesting.

## Accessible discourse referents

The following discourse referents are accessible for a condition:

- DRs in the same local DRS
- DRs in a superordinate DRS
- DRs in the universe of an antecedent DRS, if the condition occurs in the consequent DRS.

We need a formal notion of DRS subordination

## Subordination

A DRS  $K_1$  is an immediate sub-DRS of a DRS  $K = \langle U_K, C_K \rangle$  iff  $C_K$  contains a condition of the form

•  $\neg K_1$ ,  $K_1 \Rightarrow K_2$ ,  $K_2 \Rightarrow K_1$ ,  $K_1 \lor K_2$  or  $K_2 \lor K_1$ .

 $K_1$  is a sub-DRS of K (notation:  $K_1 \le K$ ) iff

- $K_1 = K$ , or
- K<sub>1</sub> is an immediate sub-DRS of K, or
- there is a DRS  $K_2$  such that  $K_1 \le K_2$  and  $K_2$  is an immediate sub-DRS of  $K_2$  (i.e. reflexive, transitive closure)

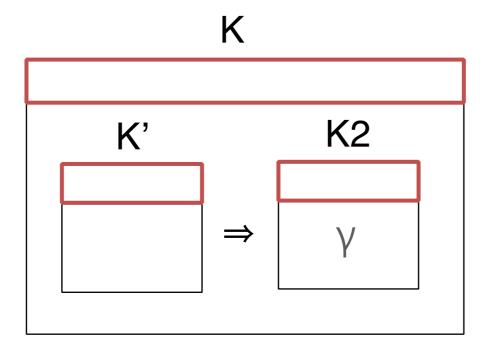
 $K_1$  is a proper sub-DRS of K iff  $K_1 \le K$  and  $K_1 \ne K$ .

## Accessibility

Let K, K<sub>1</sub>, K<sub>2</sub> be DRSs such that K<sub>1</sub>, K<sub>2</sub>  $\leq$  K, x  $\in$  U<sub>K1</sub>,  $\gamma \in$  C<sub>K2</sub>

x is accessible from γ in K iff

- $K_2 \leq K_1$  or
- there are  $K_3$ ,  $K_4 \le K$  such that  $K_1 \Rightarrow K_3 \in C_{K4}$  and  $K_2 \le K_3$



## Literature

#### References:

Hans Kamp (1981), Irene Heim (1980)

### Reading:

 Hans Kamp and Uwe Reyle: From Discourse to Logic, Kluwer: Dordrecht 1993.

#### Links:

- https://plato.stanford.edu/entries/dynamic-semantics/
- https://plato.stanford.edu/entries/discourse-representation-theory/