Language Technology I

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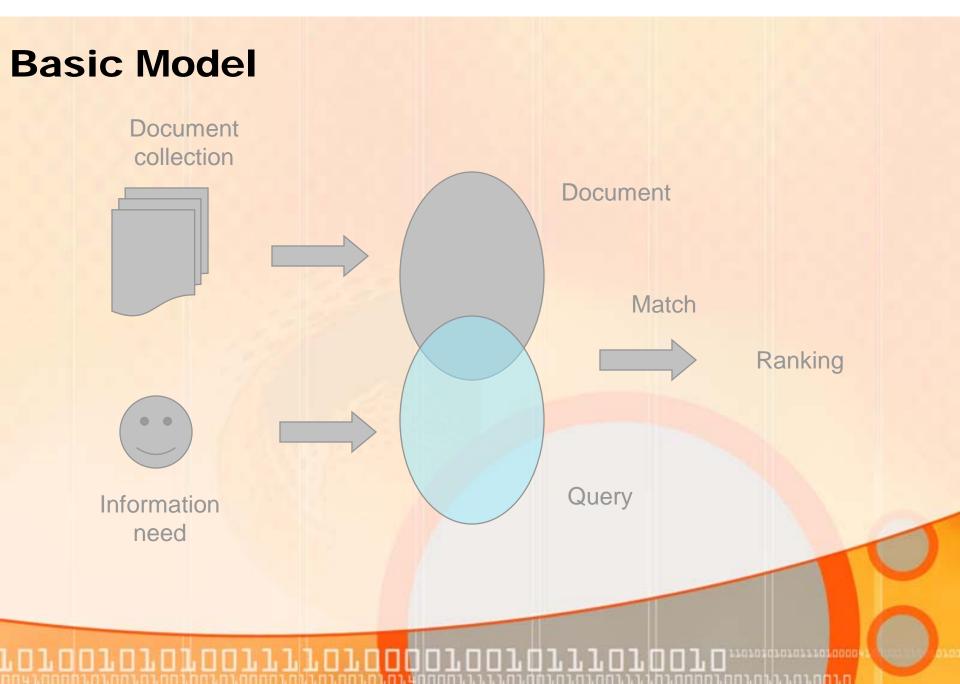
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Information Retrieval

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Information Retrieval

- Traditional information retrieval is basically text search
 - A collection of text documents
 - Documents are generally high-quality and designed to convey information
 - Documents are assumed to have no structure beyond words
- Searches are generally based on meaningful phrases
- The goal is to find the document(s) that best match the search phrase, according to a search model



Terminology

- Document
 - Unit of text indexed in the system
 - Result of the retrieval
- IR systems usually adopt index terms to process queries
- Index term:
 - a keyword or group of selected words
 - any word (more general)
- An inverted index is built for the chosen index terms
 - D0 = "it is what it is", D1 = "what is it" and D2 = "it is a banana"

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- "a": {D2}
- "banana": {D2}
- "is": {D0, D1, D2}
- "it": {D0, D1, D2}
- "what": {D0, D1}
- Query
 - User's information need as a set of terms

IR models

- An IR model is characterized by three parameters:
 - representations for documents and queries
 - matching strategies for assessing the relevance of documents to a user query
 - methods for ranking query output
- Classic models
 - Boolean
 - Vector space
 - Probabilistic

Set Theoretic Boolean model Fuzzy model Extended boolean model Algebraic Vector space model Generalized vector model Latent semantic index Neural networks model Probabilistic Probabilistic model Inference network **Belief network**

IR models - basic concepts

- Each document represented by a set of representative keywords or index terms
- An index term is a document word useful for remembering the document main themes
- Traditionally, index terms were nouns because nouns have meaning by themselves
- Not all terms are equally useful for representing the document contents: less frequent terms allow identifying a narrower set of documents
- The importance of the index terms is represented by weights associated to them

Boolean Model

- Based on set theory and Boolean algebra
 - Documents are sets of terms
 - Queries are Boolean expressions on terms
- D: set of words (indexing terms) present in a document
 - each term is either present (1) or absent (0)
- Q: A boolean expression
 - terms are index terms
 - operators are AND, OR, and NOT
- Matching: Boolean algebra over sets of terms and sets of documents
- No term weighting is allowed

Boolean Model example

((text v information) A retrieval A -theory)

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- "Information Retrieval"
- "Information Theory"
- "Modern Information Retrieval: Theory and Practice"
- "Text Compression"

Boolean Model Disadvantages

- Similarity function is boolean
 - Exact-match only, no partial matches
 - Retrieved documents not ranked
- All terms are equally important

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- Boolean operator usage has much more influence than a critical word
- Query language is expressive but complicated

Vector Space Model

 $vec(d_{j}) = (W_{1j}, W_{2j}, ..., W_{tj})$ $vec(q) = (W_{1q}, W_{2q}, ..., W_{tq})$ $Sim(q, d_{j}) = cos(\Theta)$

- $= [vec(d_{j}) \otimes vec(q)] / |d_{j}| * \\ = [\Sigma W_{ij} * W_{iq}] / |d_{j}| * |q|$
- w_{ij} is term's i weight in document j

- Cosine is a normalized dot product
- Since $W_{ij} > 0$ and $W_{iq} > 0$, $0 \le sim(q,d_j) \le 1$
- A document is retrieved even if it matches the query terms only partially

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Term Weighting

- Higher weight = greater impact on cosine
- Want to give more weight to the more "important" or useful terms

- What is an important term?
 - If we see it in a query, then its presence in a document means that the document is relevant to the query.
 - How can we model this?

Weights in the Vector Model

- $Sim(q,dj) = [\Sigma W_{ij} * W_{iq}] / |d_j| * |q|$
- How do we compute the weights wij and wiq?
- A good weight must take into account two effects:
 - quantification of intra-document contents (similarity)
 - tf factor, the term frequency within a document
 - quantification of inter-documents separation (dissimilarity)
 - *idf* factor, the *inverse document frequency*

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• *wij* = *tf*(*i*,*j*) * *idf*(*i*)

TF and IDF Factors

• Let:

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- N be the total number of docs in the collection
- ni be the number of docs which contain ki
- freq(i,j) raw frequency of ki within dj
- A normalized tf factor is given by

 f(i,j) = freq(i,j) / max(freq(I,j))
 - the maximum is computed over all terms which occur within the document d_i
- The *idf* factor is computed as *idf(i)* = log (N / n_i)
 - the log is used to make the values of tf and idf comparable

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Vector Space Model, Summarized

- The best term-weighting schemes tf-idf weights:
- $W_{ij} = f(i,j) * log(N/n_i)$
- For the query term weights, a suggestion is
- W_{iq} = (0.5 + [0.5 * freq(i,q) / max(freq(l,q)]) * log(N / n_i)
- This model is very good in practice:
 - tf-idf works well with general collections

- Simple and fast to compute
- Vector model is usually as good as the known ranking alternatives

Pros & Cons of Vector Model

- Advantages:
 - term-weighting improves quality of the answer set
 - partial matching allows retrieval of docs that approximate the query conditions
 - cosine ranking formula sorts documents according to degree of similarity to the query
- Disadvantages:
 - assumes independence of index terms; not clear if this is a good or bad assumption

Comparison of Classic Models

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- Boolean model does not provide for partial matches and is considered to be the weakest classic model
- Some experiments indicate that the vector model outperforms the third alternative, the probabilistic model, in general
 - Recent IR research has focused on improving probabilistic models – but these haven't made their way to Web search

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 Generally we use a variation of the vector model in most text search systems

Why evaluate IR systems?

- There are many retrieval models/ algorithms/ systems, which one is the best?
- What is the best component for:
 - Ranking function (dot-product, cosine, ...)
 - Term selection (stopword removal, stemming...)
 - Term weighting (TF, TF-IDF,...)

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 How far down the ranked list will a user need to look to find some/all relevant documents?

Difficulties in Evaluating IR Systems

- Effectiveness is related to the **relevancy** of retrieved items.
- Relevancy is not typically binary but continuous.
- Even if relevancy is binary, it can be a difficult judgment to make.
- Relevancy, from a human standpoint, is:
 - Subjective: Depends upon a specific user's judgment.
 - Situational: Relates to user's current needs.
 - Cognitive: Depends on human perception and behavior.

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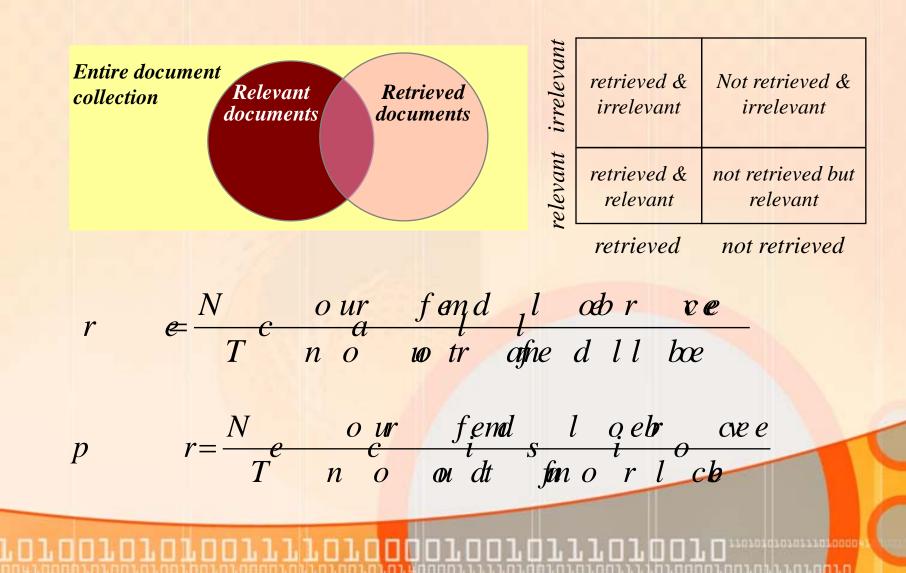
• Dynamic: Changes over time.

Human Labeled Corpora (Gold Standard)

• Start with a corpus of documents.

- Collect a set of queries for this corpus.
- Have one or more human experts exhaustively label the relevant documents for each query.
- Typically assumes binary relevance judgments.
- Requires considerable human effort for large document/query corpora.

Precision and Recall



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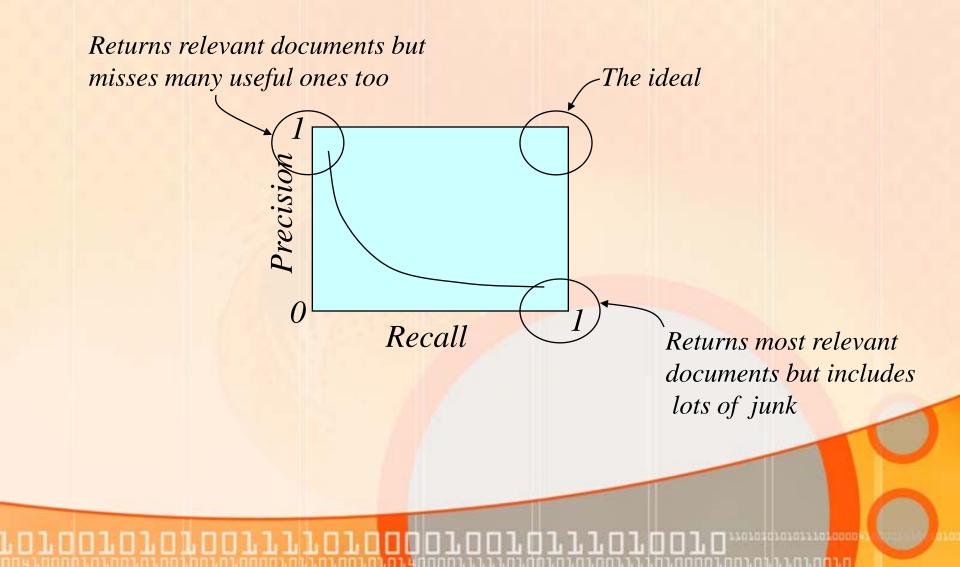
Precision and Recall

- Precision
 - The ability to retrieve top-ranked documents that are mostly relevant.
- Recall
 - The ability of the search to find **all** of the relevant items in the corpus.

Determining Recall is Difficult

- Total number of relevant items is sometimes not available:
 - Sample across the database and perform relevance judgment on these items.
 - Apply different retrieval algorithms to the same database for the same query. The aggregate of relevant items is taken as the total relevant set.

Trade-off between Recall and Precision



F-Measure

- One measure of performance that takes into account both recall and precision.
- Harmonic mean of recall and precision:

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$$F = \frac{2P}{P+R} = \frac{2}{\frac{1}{R} + \frac{1}{P}}$$

 Compared to arithmetic mean, both need to be high for harmonic mean to be high.

E Measure (parameterized F Measure)

• A variant of F measure that allows weighting emphasis on precision over recall:

$$E = \frac{(1+\beta^2)P}{\beta^2 P + R} = \frac{R(1+\beta^2)}{\frac{\beta^2}{R} + \frac{1}{P}}$$

- Value of β controls trade-off:
 - $\beta = 1$: Equally weight precision and recall (E=F).
 - $\beta > 1$: Weight recall more.
 - $\beta < 1$: Weight precision more.

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